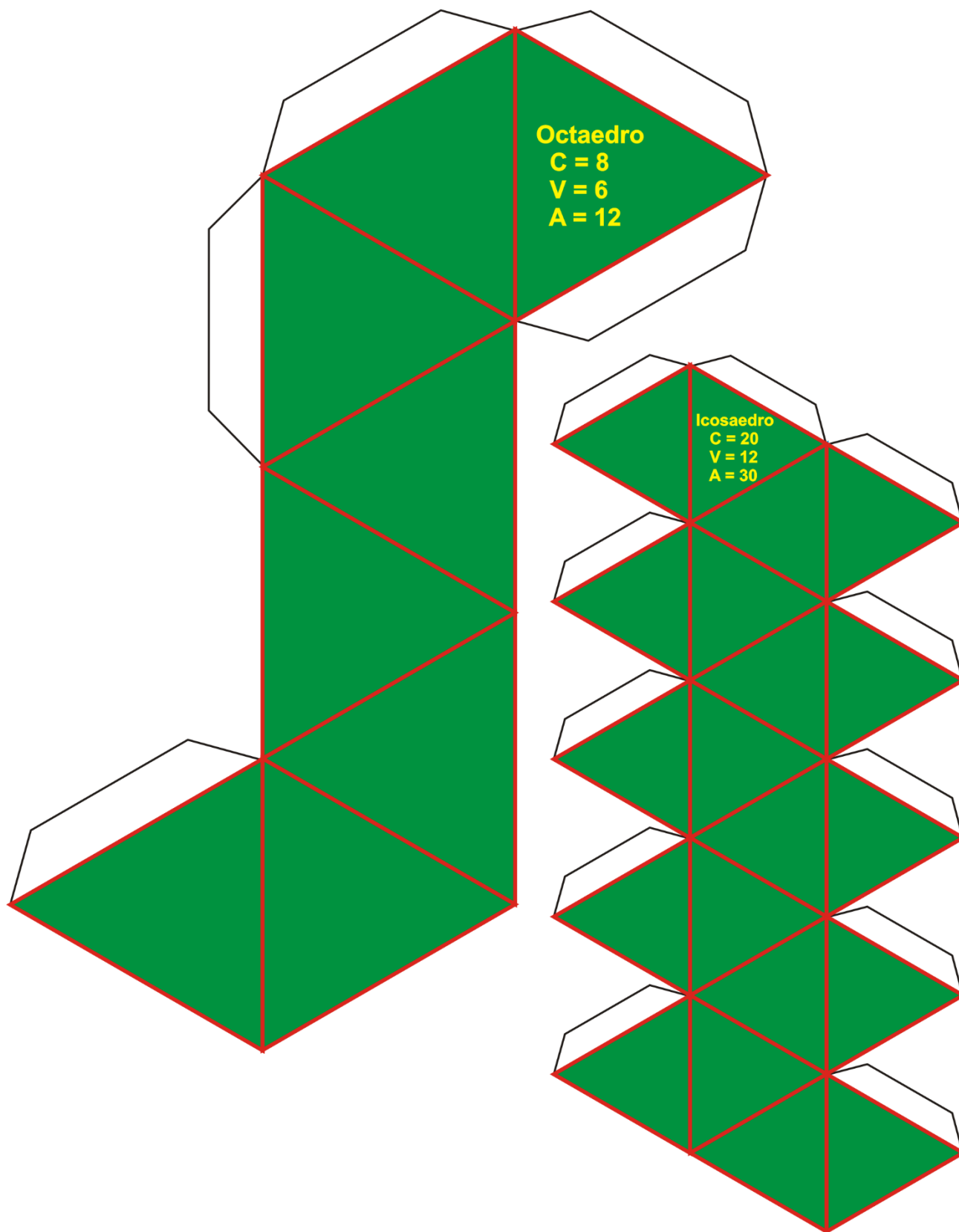
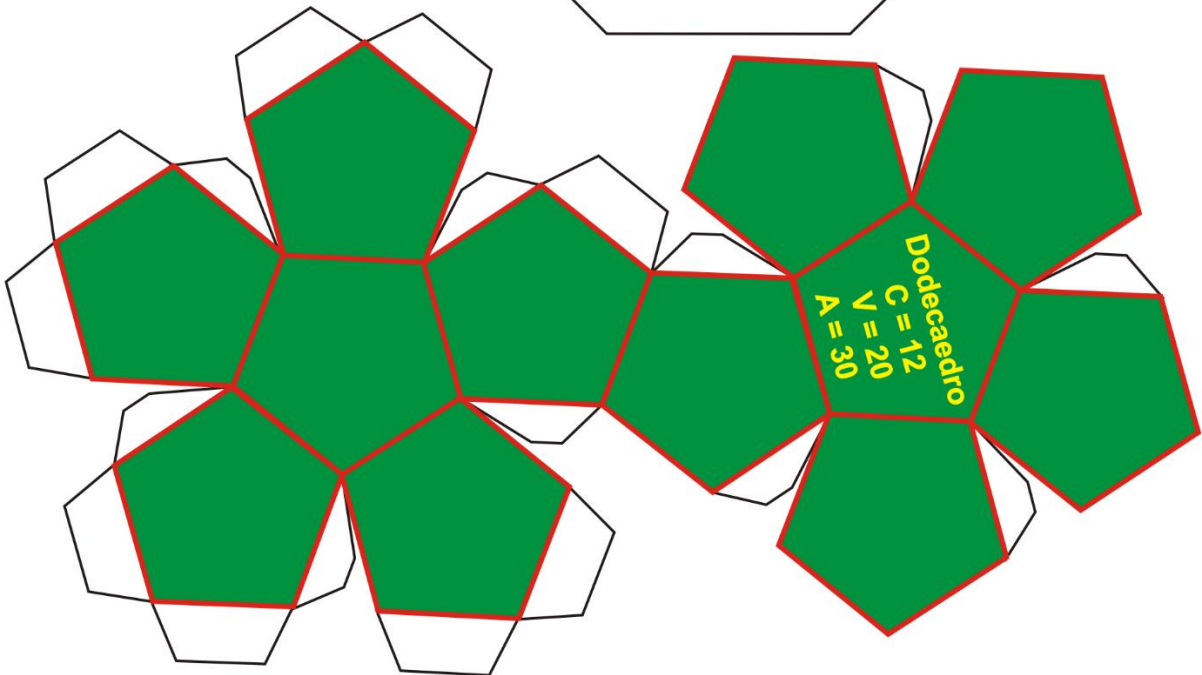
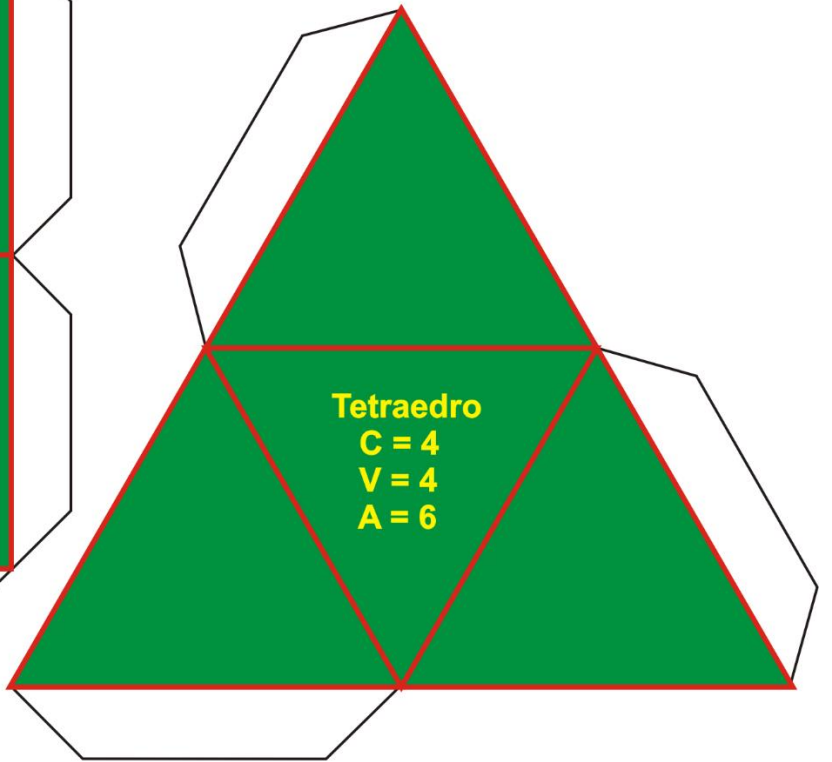
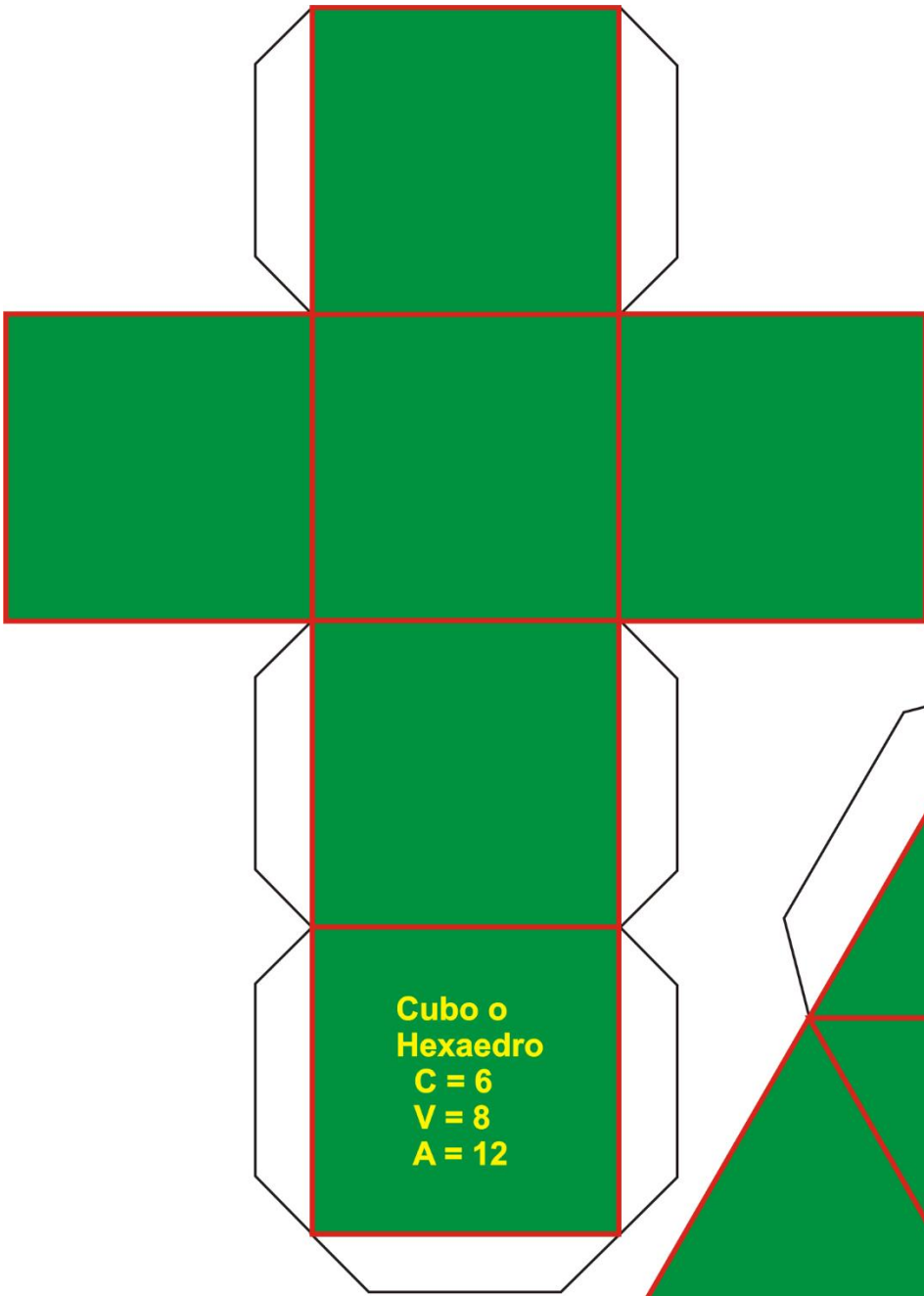
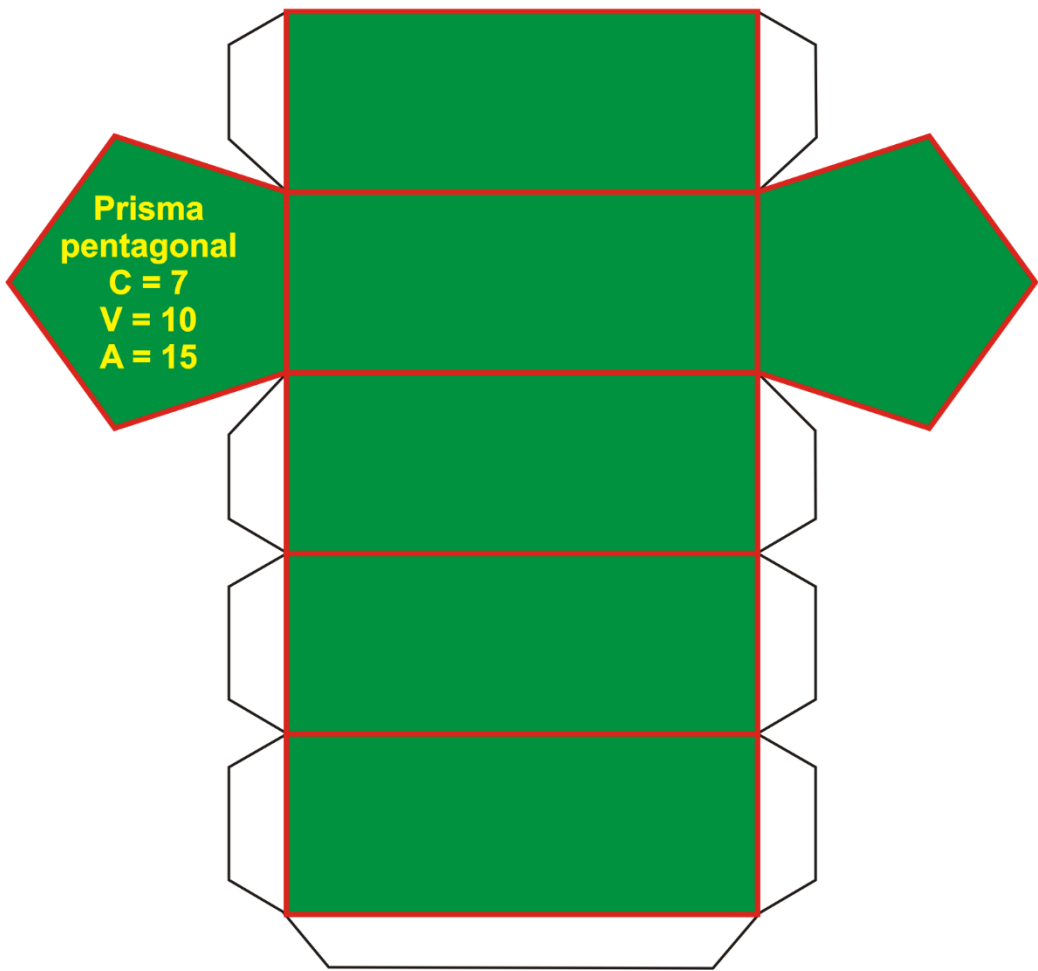
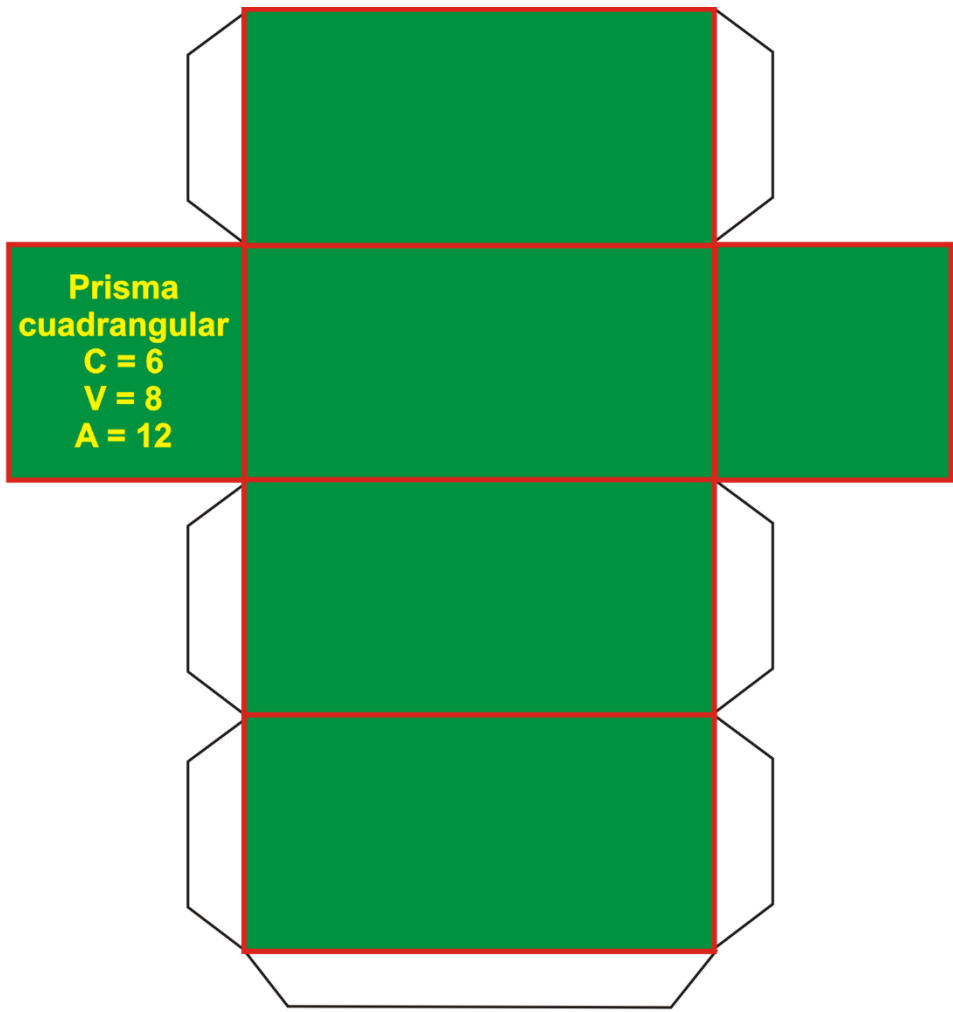


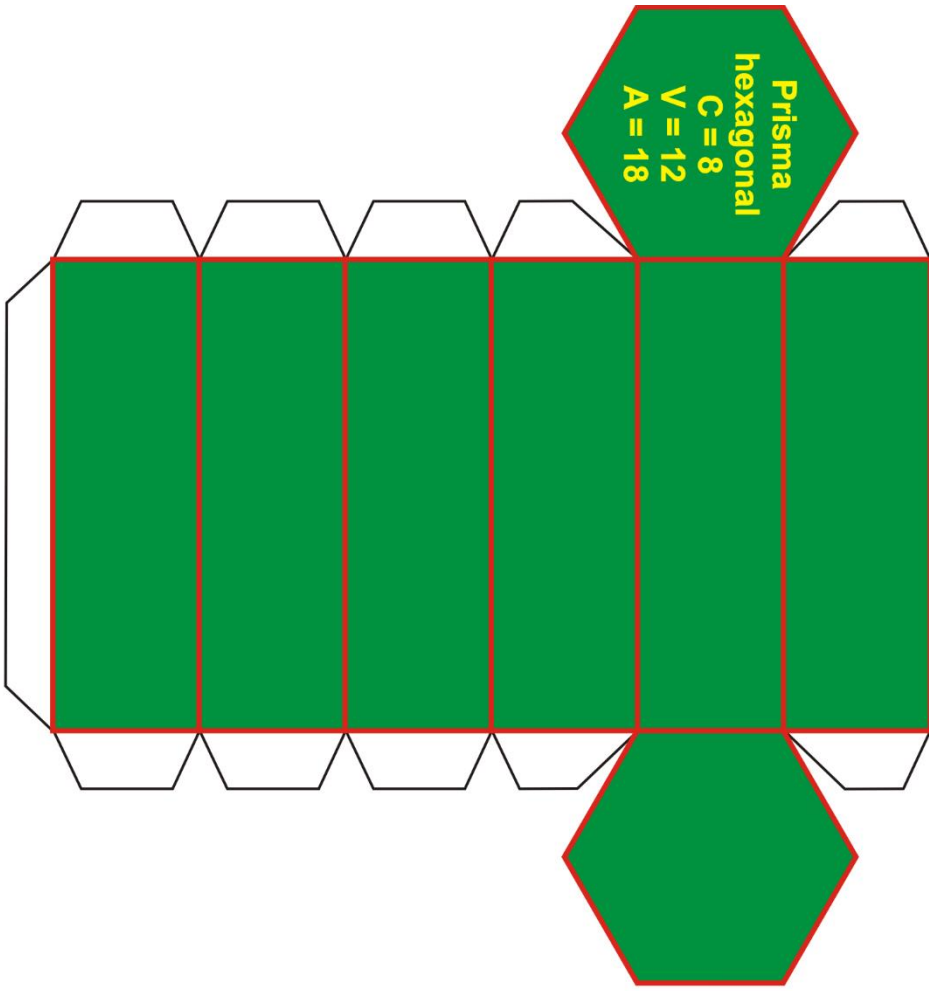
Recortables: Se pueden imprimir en papel normal y mejor en cartulina



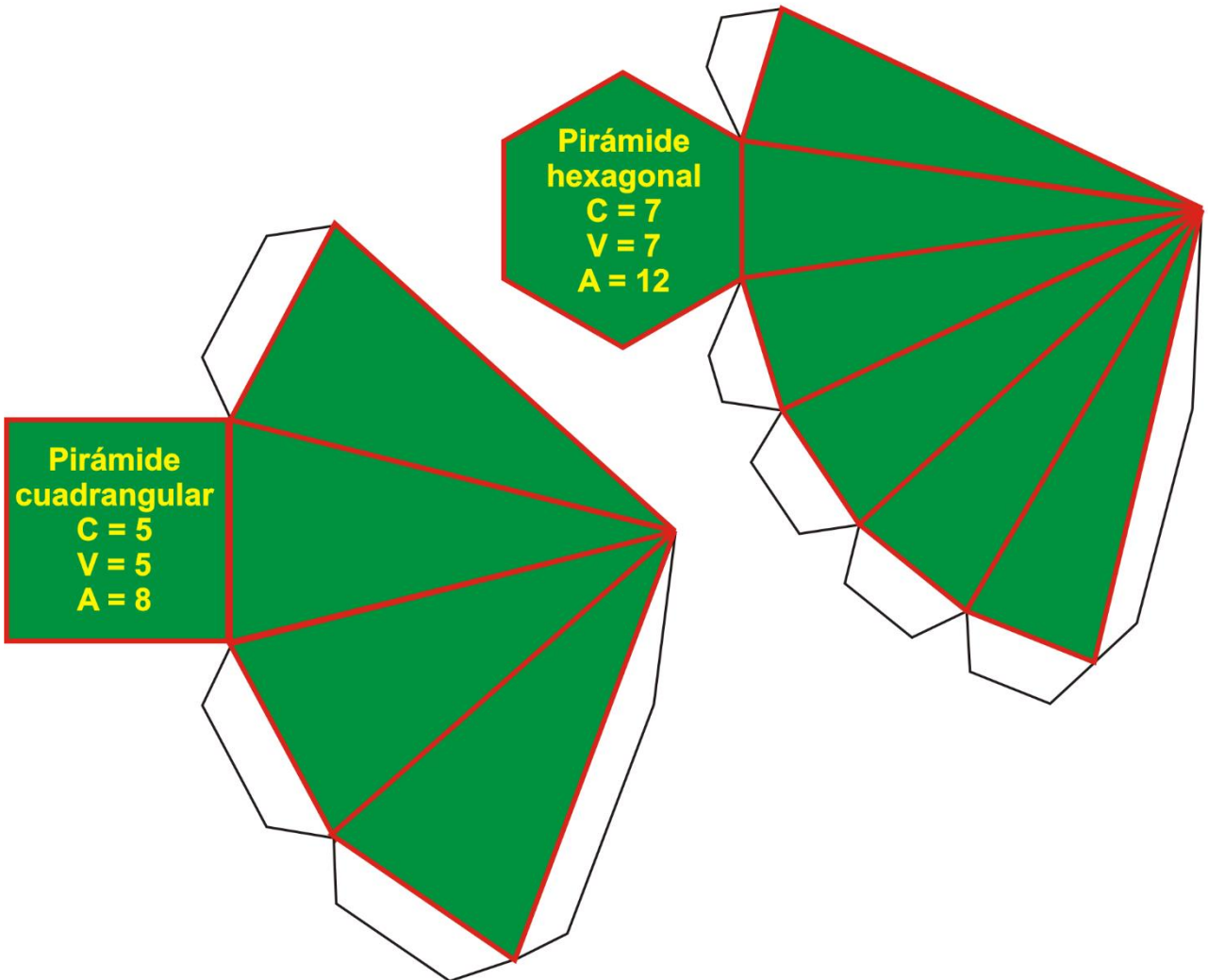
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Libros de Matemáticas 1º, 2º, 3º y 4º de ESO, 1º y 2º de los Bachilleratos.





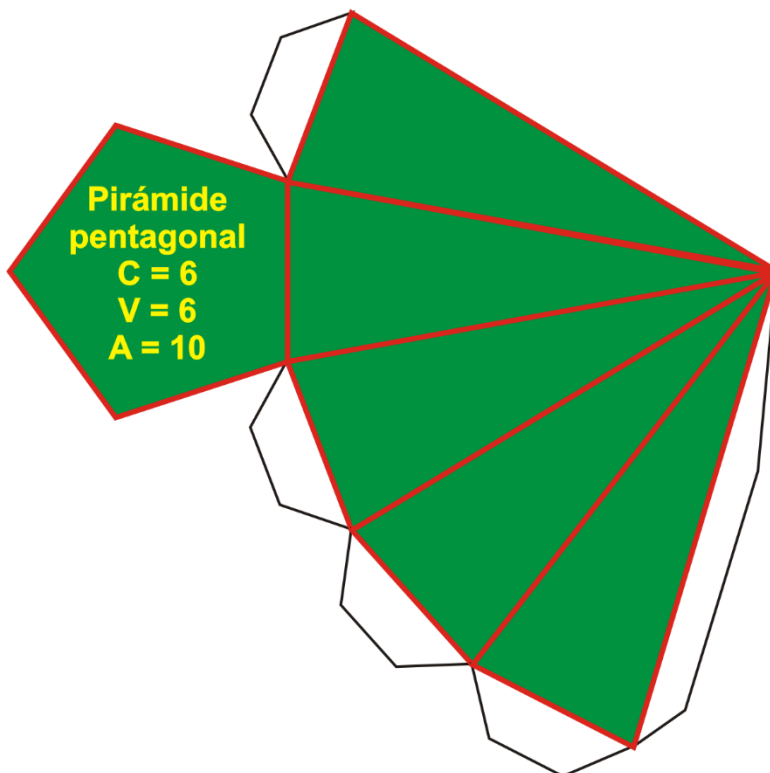
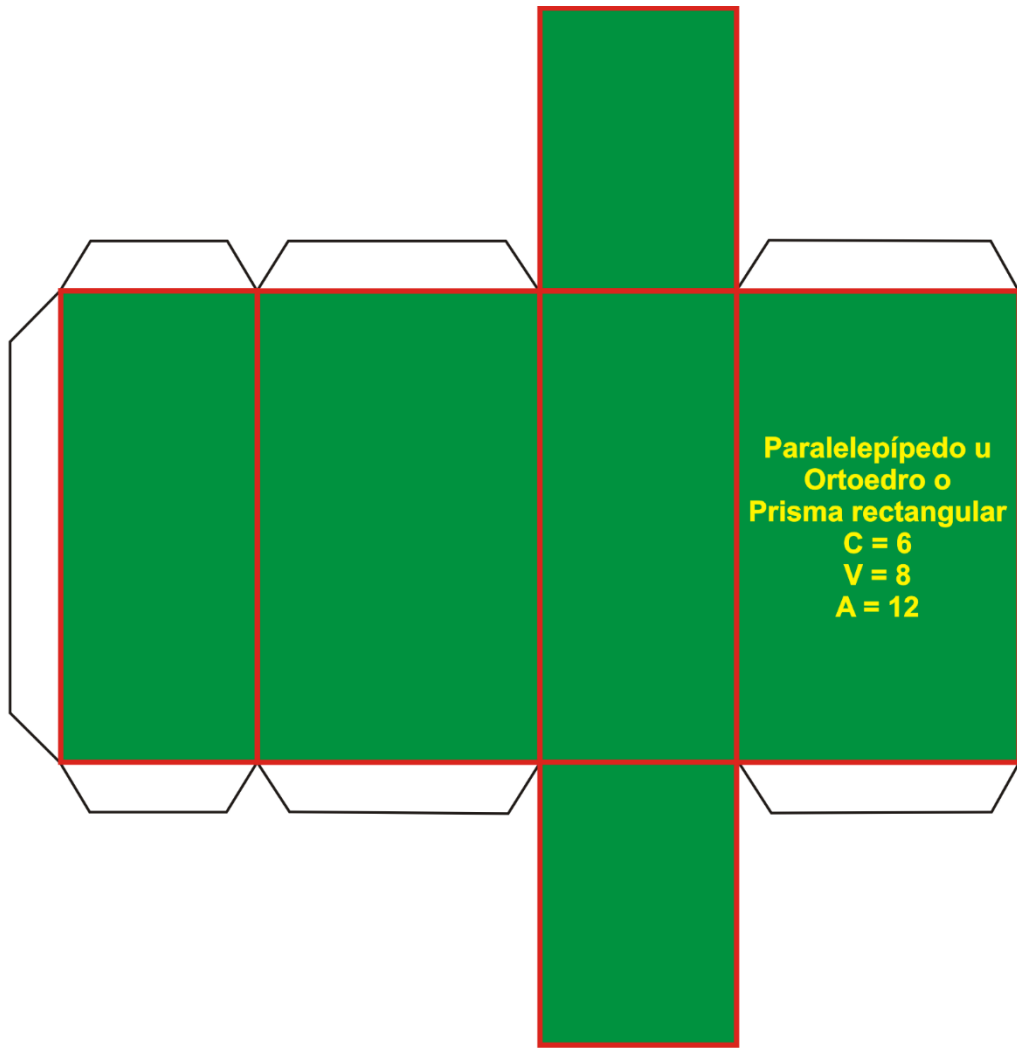


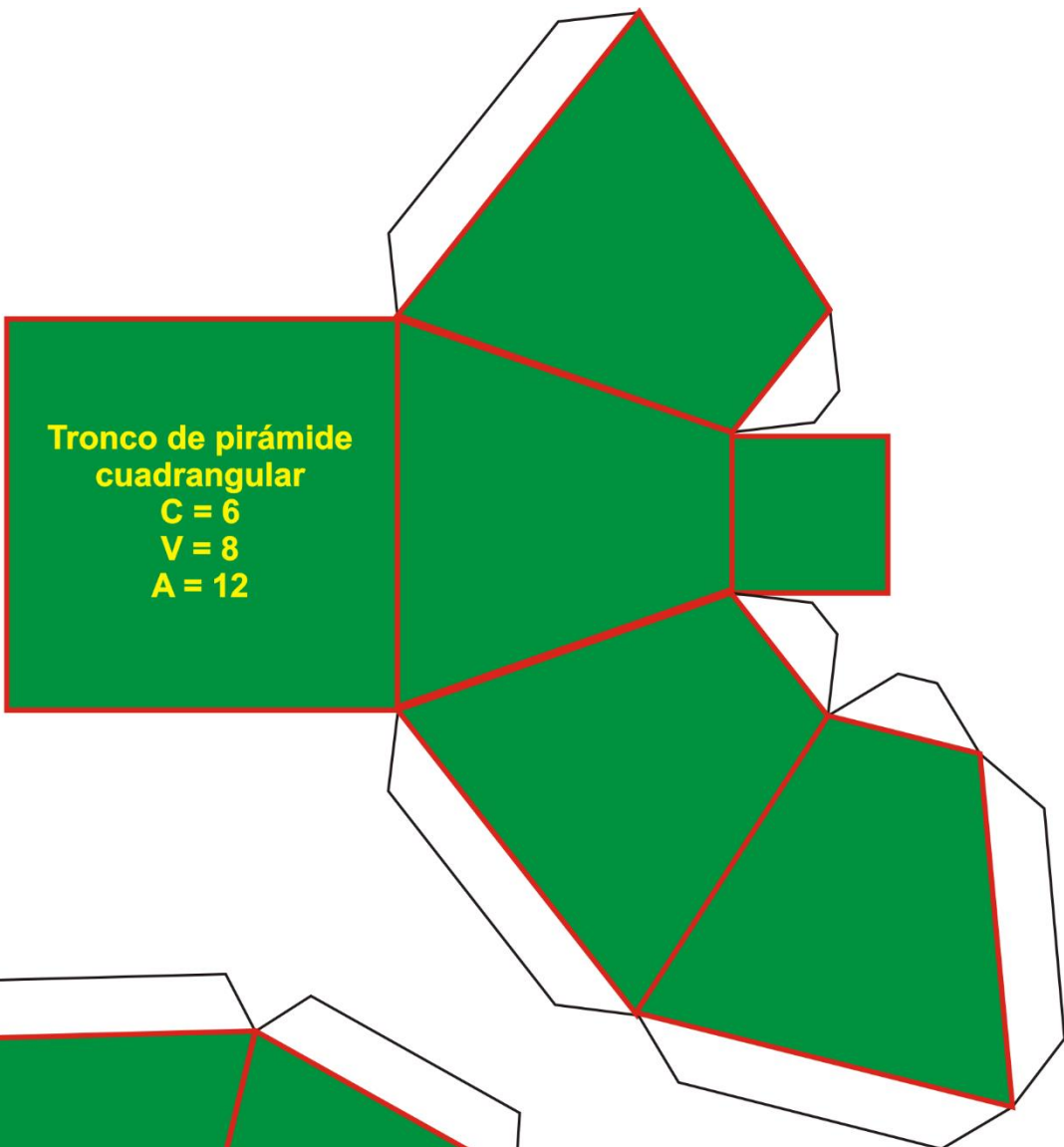
**Prisma
hexagonal**
 $C = 8$
 $V = 12$
 $A = 18$



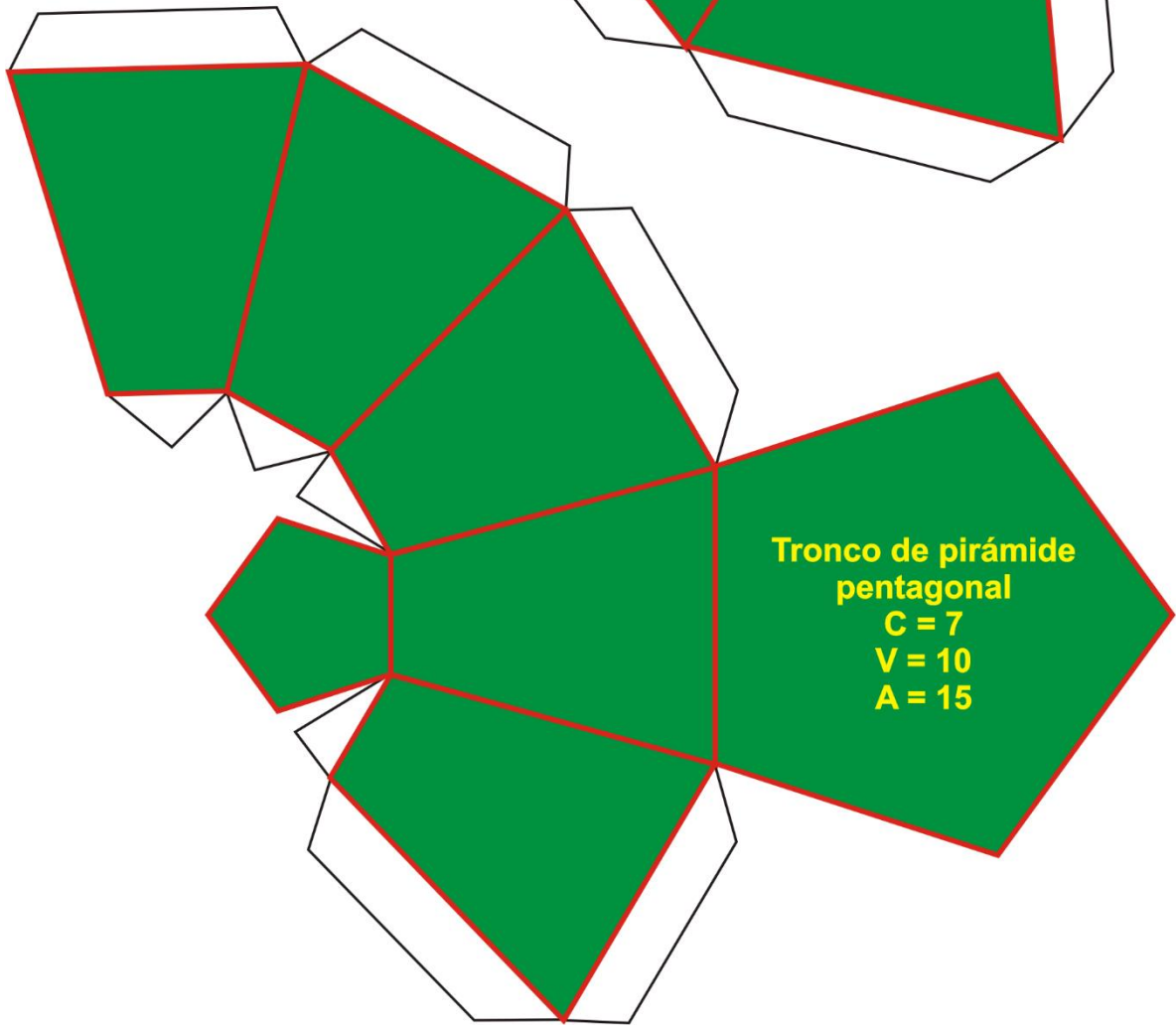
**Pirámide
cuadrangular**
 $C = 5$
 $V = 5$
 $A = 8$

**Pirámide
hexagonal**
 $C = 7$
 $V = 7$
 $A = 12$

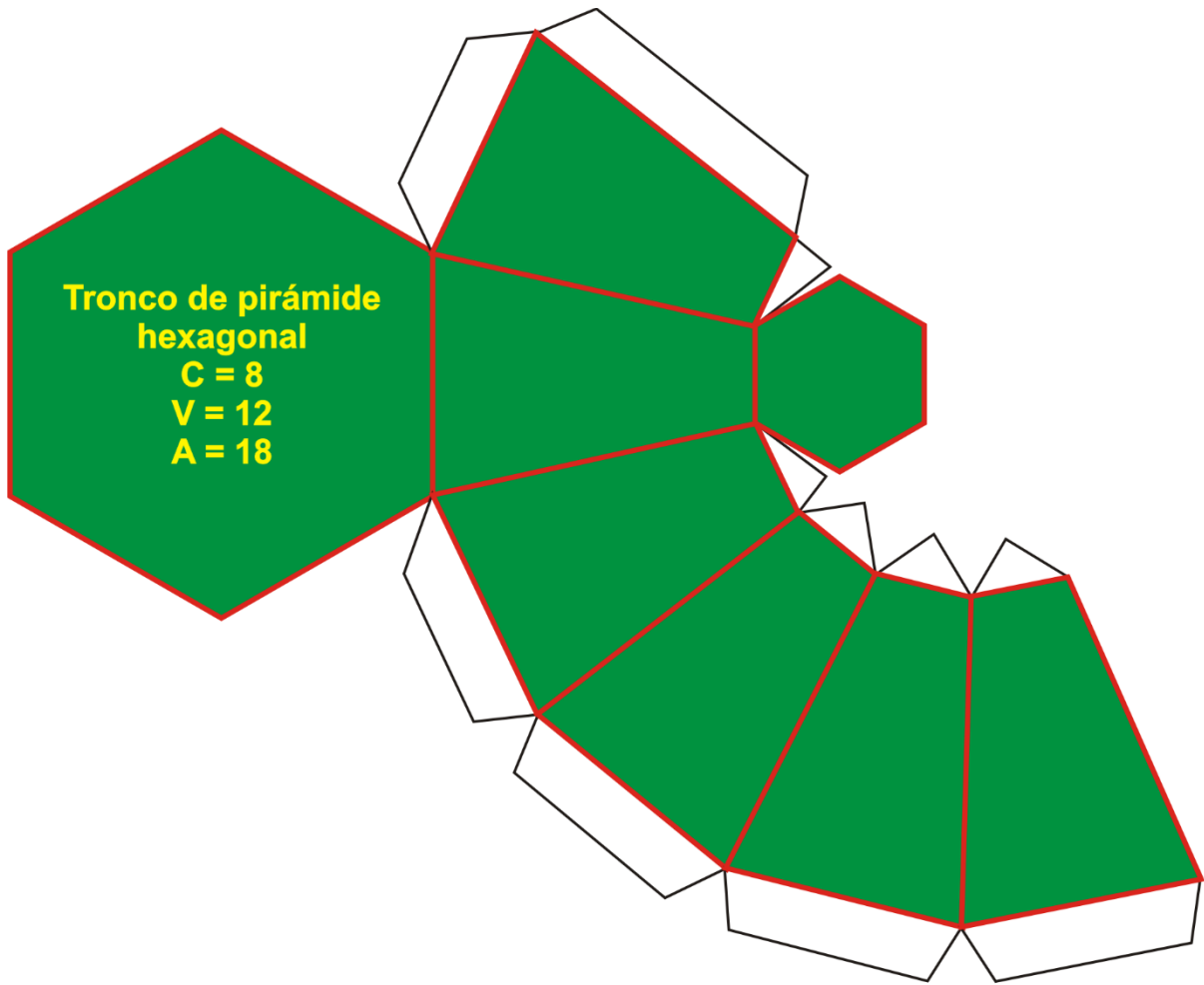




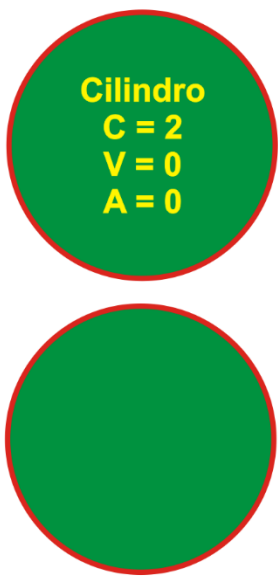
**Tronco de pirámide
cuadrangular**
C = 6
V = 8
A = 12



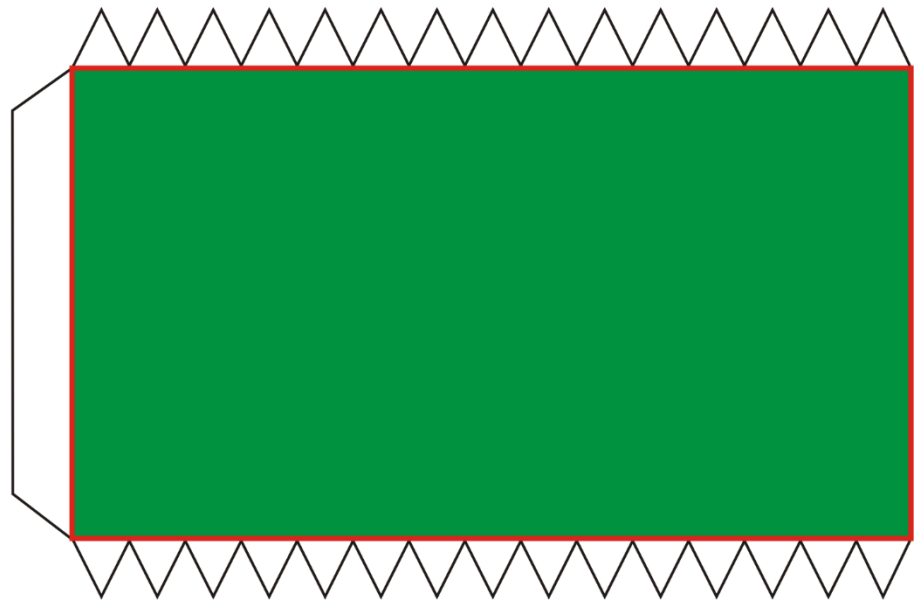
**Tronco de pirámide
pentagonal**
C = 7
V = 10
A = 15

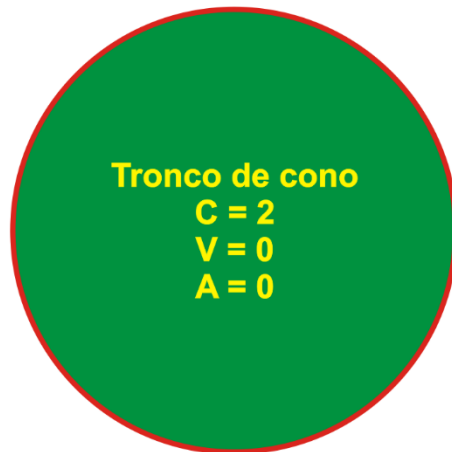
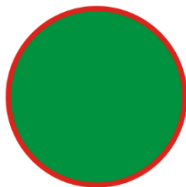
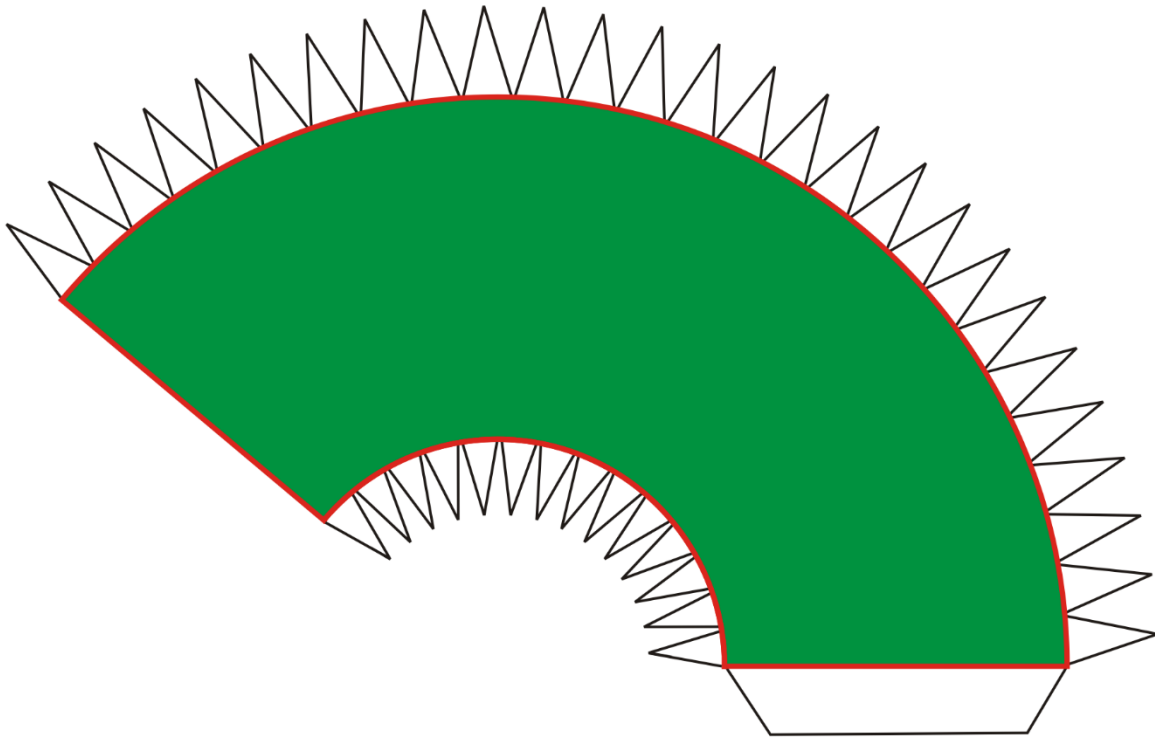
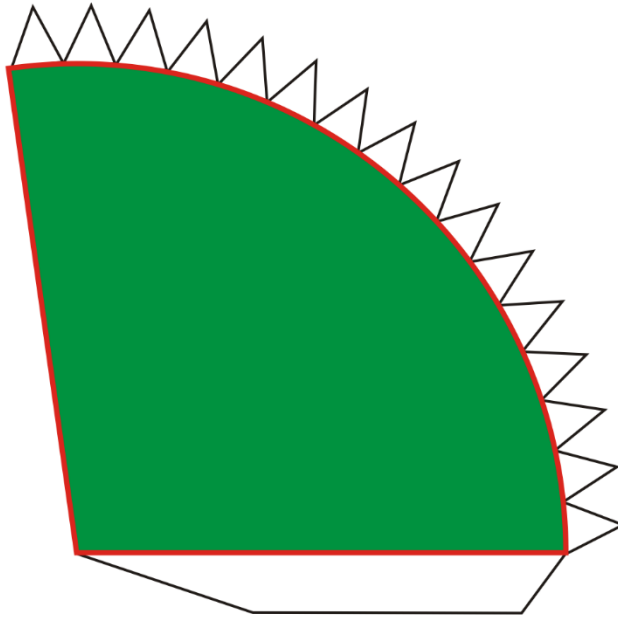


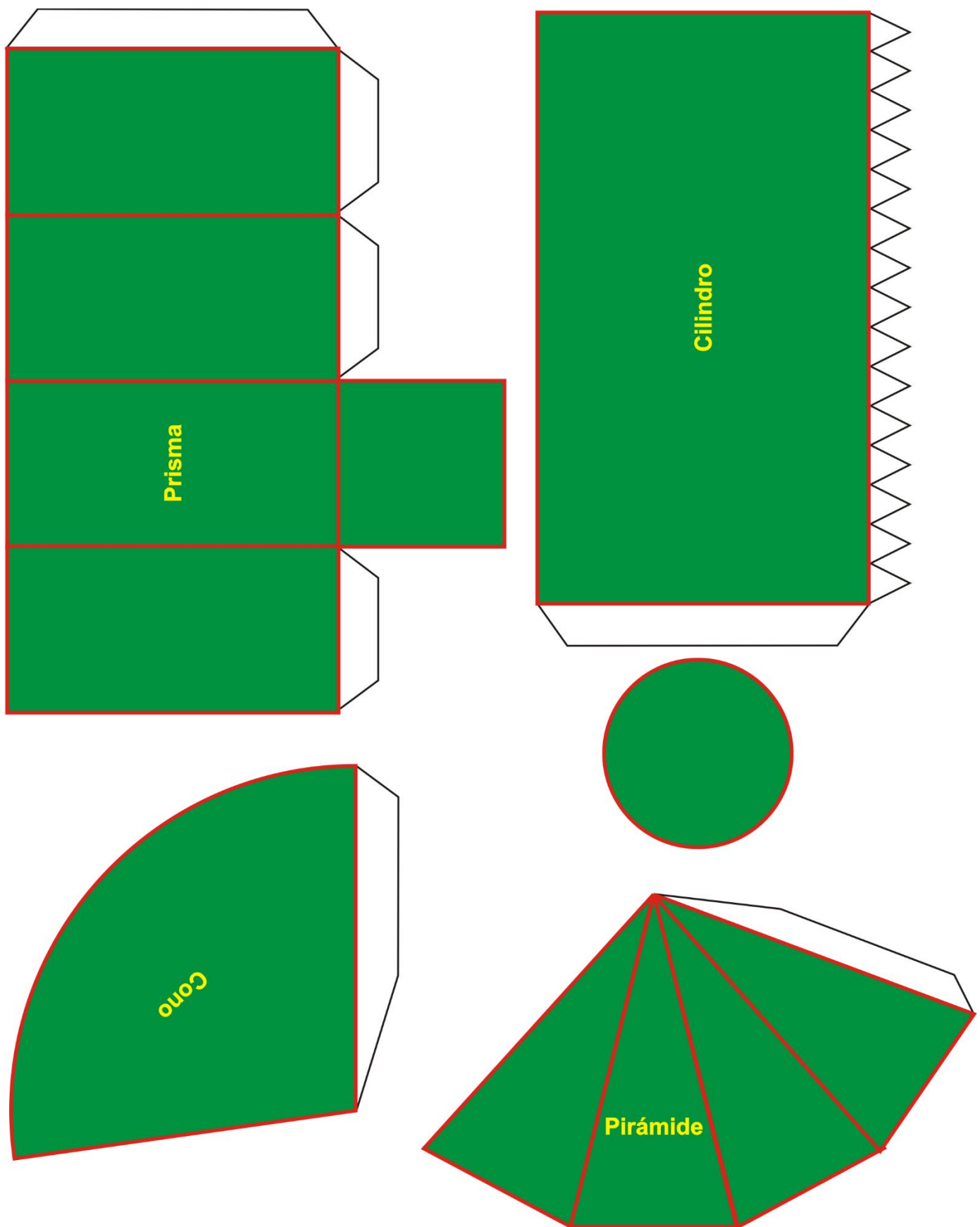
**Tronco de pirâmide
hexagonal**
C = 8
V = 12
A = 18



Cilindro
C = 2
V = 0
A = 0

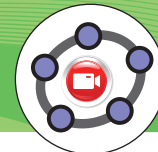









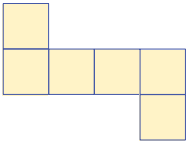

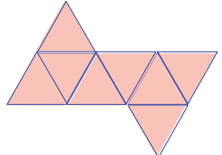

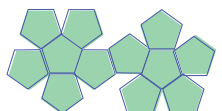

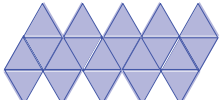
Uso didáctico de esta página:

El área de las bases del prisma, cilindro, pirámide y cono son iguales y miden 9 cm^2
De igual forma sus alturas también son iguales y miden 6 cm
Construirlos y llenar 3 veces de arena, sal, azúcar..., la pirámide o el cono y verter su contenido en el prisma o el cilindro para comprobar que el volumen de la pirámide y del cono son $1/3$ el volumen del prisma y del cilindro.



Nombre	Dibujo	Desarrollo	Área	Volumen
Cubo o hexaedro			$A = 6a^2$	$V = a^3$
Paralelepípedo u ortoedro			$A = 2(ab + ac + bc)$	$V = abc$
Prisma			$A_T = 2A_B + A_L$	$V = A_B \cdot H$
Cilindro			$A_B = \pi R^2$ $A_L = 2\pi RH$ $A_T = 2A_B + A_L$	
Pirámide			$A_T = A_B + A_L$	$V = \frac{1}{3} A_B \cdot H$
Cono			$A_B = \pi R^2$ $A_L = \pi RG$ $A_T = A_B + A_L$	
Tronco de pirámide			$A_T = A_{B_1} + A_{B_2} + A_L$	$V = \frac{1}{3} (A_{B_1} + A_{B_2} + \sqrt{A_{B_1} \cdot A_{B_2}}) \cdot H$
Tronco de cono			$A_{B_1} = \pi R^2$ $A_{B_2} = \pi r^2$ $A_L = \pi (R + r) G$ $A_T = A_{B_1} + A_{B_2} + A_L$	
Esfera		No tiene desarrollo plano.	$A = 4\pi R^2$	$V = \frac{4}{3} \pi R^3$

1.3 Áreas y volúmenes de los poliedros regulares

Poliedro regular	Desarrollo	Área	Volumen
Tetraedro 		$A = a^2 \sqrt{3}$	$V = \frac{a^3 \sqrt{2}}{12}$
Cubo o hexaedro 		$A = 6a^2$	$V = a^3$
Octaedro 		$A = 2a^2 \sqrt{3}$	$V = \frac{a^3 \sqrt{2}}{3}$
Dodecaedro 		$A = 3a^2 \sqrt{25 + 10\sqrt{5}}$	$V = \frac{a^3}{4} (15 + 7\sqrt{5})$
Icosaedro 		$A = 5a^2 \sqrt{3}$	$V = \frac{5a^3}{12} (3 + \sqrt{5})$

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